GUJARAT TECHNOLOGICAL UNIVERSITY

ME-SEMESTER II- EXAMINATION - SUMMER 2015

Subject Code: 2721604 Date:30/05/ 2015

Subject Name: Property Prediction of Mixtures

Time: 2:30 PM – 5:00 PM Total Marks: 70

Instructions:

1. Attempt all questions.

- 2. Make suitable assumptions wherever necessary.
- 3. Figures to the right indicate full marks.
- Q-(1) (a) Derive the following equilibrium relationship for multi component distillation (06) between F, V and L for complex mixtures:

$$F_{i} \cdot P = L_{i} \left[P + P_{i} \left(\frac{V}{L} \right) \right]$$

All symbols used have conventional meanings.

- (b) Show that the degree of vaporization (e) is 0.665 for a ternary feed system containing molar 10% propane, 65%, n-butane and 25% n-pentane to be vaporized at t=5 °C and P=600 mmHg. The value of equilibrium constants for phase equilibrium for propane, n-butane and n-pentane are K₁=6.34, K₂=1.37 and K₃=0.32 respectively. Drive also the relevant equation starting from the first principles.
- Q-(2) (a) Explain õConcept of Hypothetical Ideal Gas Stateö with reference to (07) calculations of any energy function at any temp(T) and any pressure(P).
 - (b) Derive relevant generalized equation for $\Delta S'_{T,P}$ under reduced state conditions using equation of state PV=ZRT.

OR

- (b) Derive relevant generalized equation for $\Delta H_{T,P}$ under reduced state conditions using equation of state PV=ZRT.
- Q-(3) Starting with following two equations: (14)

$$T \cdot dS = Cp \cdot dT - T \frac{\delta V}{\delta T} \bigg)_{P} dP \text{ and } T \cdot dS = Cv \cdot dT + T \frac{\delta P}{\delta T} \bigg)_{V} dV$$

Prove the following equations:

$$Cp \ \acute{o} \ Cv = \acute{o}T \left(\frac{\delta V}{\delta T}\right)_{P}^{2} \cdot \left(\frac{\delta p}{\delta v}\right)_{T}$$

and
$$\frac{Cp}{Cv} = \frac{\frac{\delta P}{\delta V}}{\frac{\delta P}{\delta V}}_{T}$$

Q-(3) Derive the following thermodynamic relationships for properties: (14)

(i)
$$\frac{\partial C_{P}}{\partial P} = -T \frac{\partial^{2} V}{\partial T^{2}} \Big|_{P} \& \frac{\partial C_{V}}{\partial V} = T \frac{\partial^{2} P}{\partial T^{2}} \Big|_{V}$$

(ii)
$$ds = \frac{C_V}{T} \cdot \frac{\partial T}{\partial P} \Big|_V dp + \frac{C_P}{T} \cdot \frac{\partial T}{\partial V} \Big|_P \cdot dv$$

(iii)
$$C_{P} = \frac{\left[-V\right]}{\left[\frac{\partial T}{\partial P}\right]_{H} - \frac{\partial T}{\partial P}\right]_{S}}$$

Q-(4) Answer the following:

(a) Using concept of Hypothetically Ideal Component (Carlson and Coulburn (07) Method) how constants of Van Laarøs Equation could be determined conveniently?

OR

(a) Outline stepwise procedure in detail with relevant equations for calculation of (07) H, S, U and G at any temp (T) and any pressure (P) under ideal gas conditions.

(b) Using the Duhring Plot, explain estimation of viscosity of solutions. (07)

OR

(b) Derive and explain in detail, Falkenhagen relations. (07)

Q-(5) (a) Write a note on thermal conductivity for polyatomic gases and explain the (07) effects of temperature and pressure on thermal conductivity in brief.

OR

(a) Enlist the various empirical methods for liquid mixture viscosity estimation and explain any one in detail. (07)

(b) Explain in detail, the estimation of thermal conductivity for pure liquids. **(07)**

OR

(b) Explain estimation of viscosities of emulsions formed by immiscible liquids (07)
