Enrolment	No

GUJARAT TECHNOLOGICAL UNIVERSITY ME- SEMESTER II– EXAMINATION – SUMMER 2015

Subject Code: 2724707 Subject Name: Mechatronics Signal Processing

Date: 01/06/2015

Total Marks: 70

Time: 2:30 PM – 5:00 PM

Instructions:

	1. 2. 3.	Attempt all questions. Make suitable assumptions wherever necessary. Figures to the right indicate full marks.	
Q:1	A B	Explain the adaptive filters and LMS algorithm for coefficient updating. Explain the envelope analysis of signal with suitable example.	07 07
Q:2	A B	Describe the various properties of DFT. What do you understand by discrete time systems? Discuss the following discrete time systems: 1. Linear and nonlinear system 2. Causal and non-causal system 3. Time variant and time invariant system	07 07
Q:2	B	OR The input sequence $x(n) = \{3, 1, 2, -1\}$ is applied to a discrete time processor with unit sample response $h(n) = \{3, 2, 1\}$. What is the result output sequence of then processor?	07
Q:3	A	 Differentiate the following systems using Z transform: 1. Left-sided sequences 2. Right-sided sequences 3. Two-sided sequences 4. Finite duration sequences 	07 07
	B	State and explain properties of Z transform.	07
Q:3	A	OR Find x(n) if	07

(a)
$$X(Z) = \frac{1}{1 - 5Z^{-1}}$$
, if ROC $|Z| > 5$
(b) $X(Z) = \frac{1}{1 - 5Z^{-1}}$, if ROC $|Z| < 5$

B 07 Causal system produces an output sequence $y(n) = \delta(n) + \frac{2}{5}\delta(n-1)$ for the input $x(n) = \delta(n) - \frac{7}{10}\delta(n-1) + \frac{1}{10}\delta(n-2)$. Determine the impulse response of the system and also the input and output of the equation. Q:4 For the sequence $x(n) = \delta(n) + 2\delta(n-2) + \delta(n-3)$ 14 (a) Find the four point DFT of x(n)(b) If y(n) is four point circular convolution of x(n) with itself, find y(n) and four point DFT Y(m) OR Q:4 What is FFT algorithm? Draw the basic butterfly diagram and derive the 14 general expression for outputs of the butterfly structure for 8 points DFT. Q:5 Explain FIR filters and various methods to design FIR filters with suitable 14 example. OR 07 Q:5 The time domain difference equation of IIR filter is given by А $y(n) = 0.0605 \bullet x(n) + 0.121 \bullet x(n-1) + 0.0605 \bullet x(n-2) + 1.194 \bullet y(n-1)$ -0.436• y(n-2) Analyze this filter for stability. Explain the sampling of lowpass signal with suitable example. B 07
