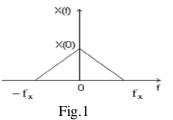
Enrolment No._

GUJARAT TECHNOLOGICAL UNIVERSITY M. E. - SEMESTER – I • EXAMINATION – WINTER • 2014

	Ν	A. E SEMESTER – I • EXAMINATION – WINTER • 2014	
Subject code: 2712910 Date: 12-0			5
Subject	Nam	e: Discrete Time Signal Processing	
Time: 02:30 pm - 05:00 pm Total Marks: '			0
Instruct			
		mpt all questions.	
2. 3.		e suitable assumptions wherever necessary. res to the right indicate full marks.	
	1 igu		
Q.1		s directed : (02 marks each)	14
	(i) State equation for a forward difference system. Will it be causal?		
		efine DFT of a discrete time sequence. State its two applications. Discuss significance of Interpolation for sampling.	
		Evaluate $(n-1)^*$ $(n+1)$. Comments on result obtained.	
		Prove that $(n) = u(n) \circ u(n-1)$.	
	. ,	tate relation between Z-transform and DFT.	
	(v11) S	Sketch various tolerance limits to approximate an ideal low pass filter.	
Q.2	(a)	Draw and explain the block diagram of basic generic hardware	07
~ -	()	architecture for a digital signal processor.	
	(b)	Discuss (i) All-pass systems and (ii) Minimum phase system.	07
	(b)	OR	07
	(b)	For linear phase FIR filters, how constant group and phase delay is achieved? Enlist design techniques for the same.	07
		aone (ea.) Emist design teeninques for the sumer	
Q.3	(a)	A continuous ótime signal is given as : $x(t) = 3\cos(100)$)t. Determine	07
		(i) Nyqist rate to avoid aliasing.	
		(ii) If the signal is sampled at the rate f_s = 200Hz, What will be	
		discrete time signal x(n) after sampling.?	
		(iii) If the signal is sampled at the rate $f_s = 75$ Hz, What will be	
		discrete time signal $x(n)$ after sampling.?	
		(iv) What will be the difference between sampling period and sampling rate.	
	(b)	An LTI system has impulse response $h(n) = 5(-1/2)^n u(n)$. Determine	07
		Fourier Transform to find the output of this system when the input is $r(n) = (1/2)^n u(n)$	
		$x(n) = (1/3)^n u(n).$ OR	
Q.3	(a)		07
		State the sampling theorem. Given $x(t) \xrightarrow{FT} X(w)$. For the spectrum	
		of the continuous-time signal, shown in Fig.1, consider the three cases $f = 2f + f + 2f$ and $f = 2f + d$ are the substantial indicating all signatures for the second s	
		$f_s = 2f_x$; $f_s > 2f_x$ and $f_s < 2f_x$; draw the spectra, indicating aliasing.	
		2/2	



(b) Determine the Inverse Fourier transform for the first order recursive 07 filter $H(w) = (1 - ae^{\delta j w})^{-1}$. State result in terms of unit step function. Do not use direct formula.

Q.4 (a) Find inverse Z ótransform of 07 1 -----; For both |z| > |a| and |z| < |a|. X(z) = $(1 - a z^{-1})$ (b) Discuss properties of ROC for the Z-transform. 07 OR (a) Describe Kaiser window filter design method for a low-pass filter. Q.4 07 (b) For H (z) = $(1 - 2z^{-1})(1 - 4z^{-1}) / z(1 - 0.5z^{-1})$, sketch Direct form -II and 07 its transposed realization. (a) Perform circular convolution of the two sequences; $x_1(n) = \{\underline{2}, 1, 2, 1\}$ Q.5 07 and $x_2(n) = \{\underline{1}, 2, 3, 4\}.$

(b) Describe Implementation of a DSP A algorithm. 07

OR

(b) For sequences $x(n) = \{1, 0.5\}$ and $h(n) = \{0.5, 1\}$, obtain linear 07 convolution using DFT.
