

GUJARAT TECHNOLOGICAL UNIVERSITY**ME - SEMESTER-IV • EXAMINATION – WINTER • 2014****Subject Code: 741501****Date: 26-11-2014****Subject Name: Structural Optimization****Time: 02:30 pm - 05:00 pm****Total Marks: 70****Instructions:**

1. Attempt all questions.
2. Make suitable assumptions wherever necessary.
3. Figures to the right indicate full marks.

Q.1 Formulate the simply supported beam of length of 2.8 m for minimum weight subjected to deflection of beam should not exceed span/300. Density of PCC is 24 kN/m^3 and $E = 22000 \text{ MPa}$. Also obtain the solution for the problem, with the assumption that width of beam should not exceed 200mm **14**

Q.2 (a) Elaborate the terms on Objective function and Design Constraint **07**
(b) Explain with example about unconstrained optimization. **07**

OR

(b) Elaborate the terms with sketch: Bound Acceptable Point, unacceptable point and Feasible Region. **07**

Q.3 (a) Using the Langrange Multiplier Method, **07**
 Maximize $f(x) = 3x_1^2 + x_2^2 + 2x_1x_2 + 6x_1 + 2x_2$, subjected to $2x_1 - x_2 = 4$

(b) Find whether the given function is convex, concave or neither, **07**
 $f(x_1, x_2, x_3) = 12x_1^2 + 5x_2^2 + 9x_3^2 + 7x_1x_2 + 9x_1x_3$

OR

Q.3 (a) Define Saddle point Explain the characteristic with respect to one or two variables. **07**

(b) Classify the stationary points as minima, maxima and points of inflection **07**
 for the function : $f(x) = 18x^2 - 45x^3 + 40x^4 + 5x + 9$

Q.4 Using plastic method, formulate the objective function and constraint equations for the Figure 1. Also obtain the solution for minimum weight graphically. **14**

OR

Q.4 Using displacement method, design statically determinate pin jointed truss shown in Figure 2. Adopt $E = 2 \times 10^5 \text{ MPa}$, (comp.) = 0.12 kN/mm^2 , (ten.) = 0.18 kN/mm^2 , δ at 1 = 5 mm **14**

Q.5 (a) Using Simplex method maximize : **07**
 $A = 5x + 7y$ subject to : $x + y \leq 4$, $2x + y \leq 5$, $x \geq 0$, $y \geq 0$

(b) Elaborate and explain the Kuhn Tucker condition. **07**

OR

Q.5 Using plastic method, formulate the objective function and constraint equations for the Figure 3. Also obtain the solution for minimum weight. **14**

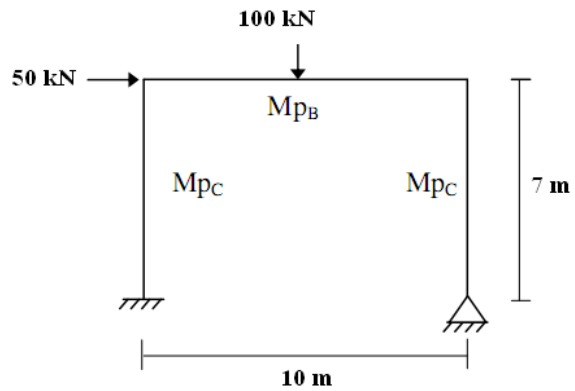


Figure 1

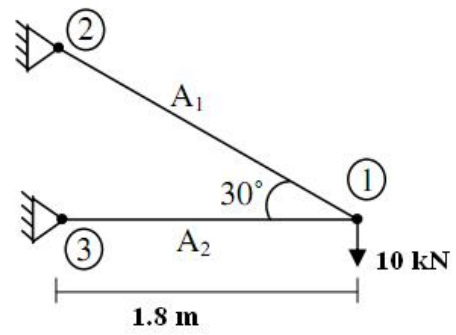


Figure 2

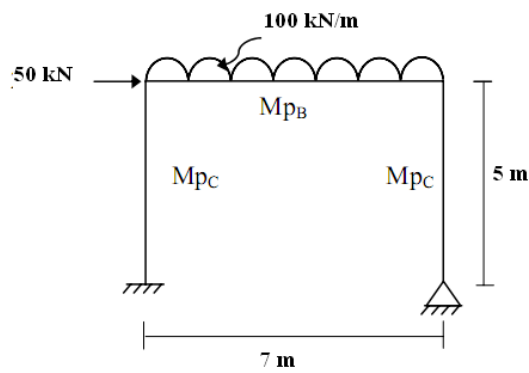


Figure 3